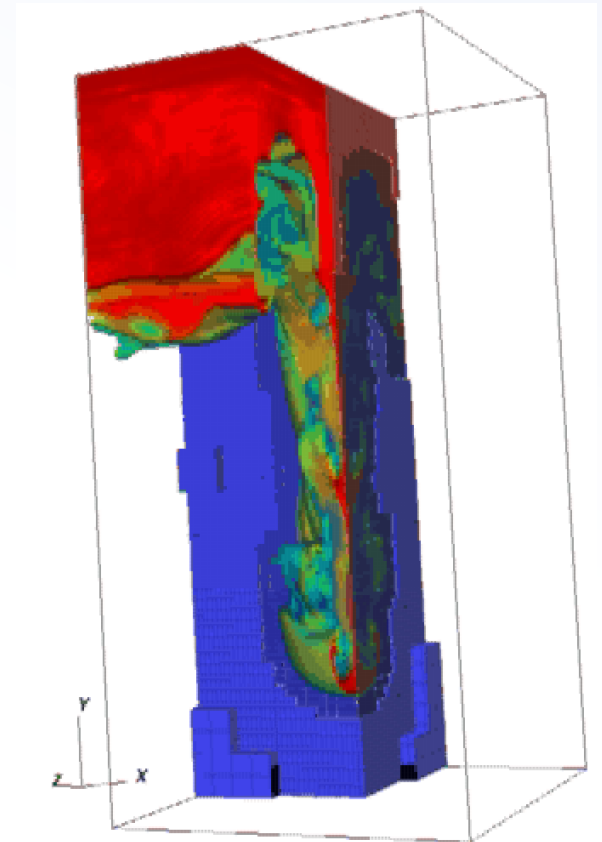


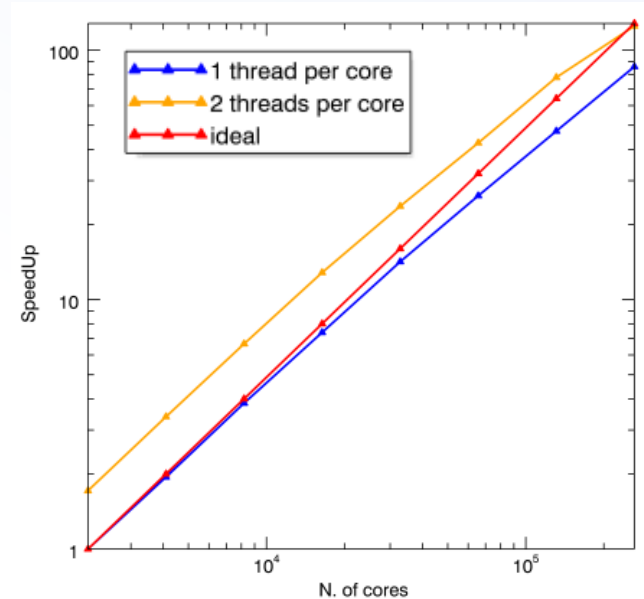
The PLUTO Code

- PLUTO^{1,2} is a modular parallel code providing a *multi-physics* as well as a *multi-algorithm* framework for solving the equations of gas and plasma dynamics in astrophysics;
- Target: multidimensional *compressible* plasma with high Mach numbers:
 - Compressible Euler/Navier Stokes;
 - Newtonian (ideal/resistive) magnetohydrodynamics (MHD);
 - Special Relativistic hydro and MHD;
 - Heating/cooling processes, chemical network, ...
- Freely distributed at <http://plutocode.ph.unito.it> (v. 4.2)



Introducing the PLUTO Code

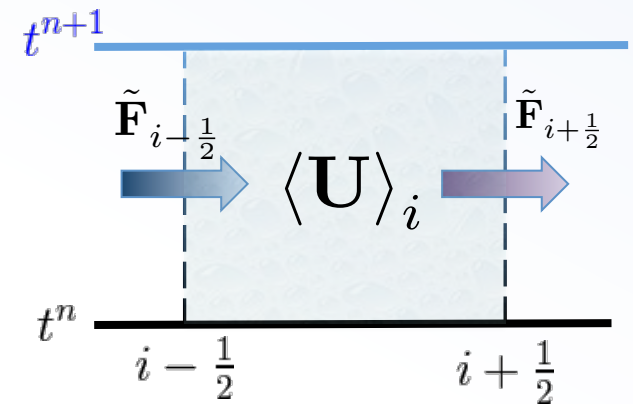
- PLUTO is written in C (~80,000 lines) and C++ (12,000 lines);
- Support multi-dimensional parallel (MPI) computations from single processor to a large number of cores (tested up to 262,144);
- Tested on several platforms (Linux/Mac OS/ SP6/Blue Gene Q,P, Cineca Tier-0 system, ...);
- Computations may be performed on
 - Static grid : single fixed grid;
 - Adaptive grid: multiple refined, block-structured nested grids following and adapting to the solution



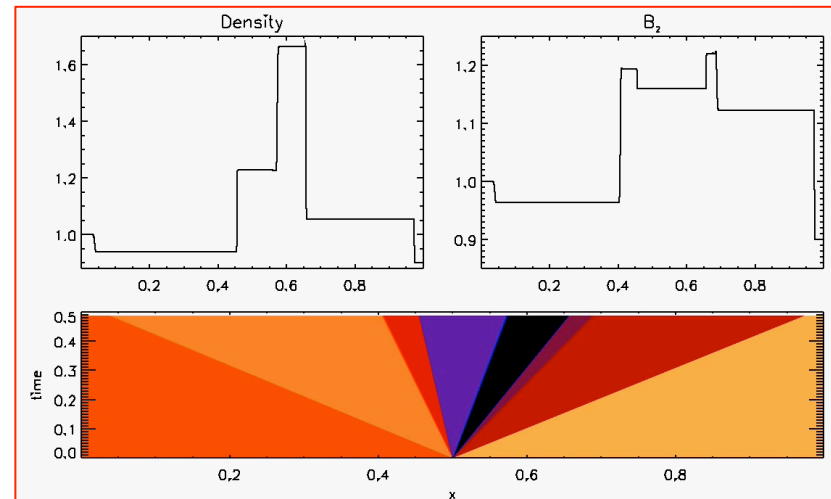
Underlying Philosophy

- Suited for a system of conservation laws:
$$\frac{\partial \mathbf{U}}{\partial t} + \nabla \cdot \mathbf{F} = \mathbf{S}$$
- Grid-based, finite-volume code

$$\langle U \rangle_i^{n+1} = \langle U \rangle_i^n - \frac{\Delta t}{\Delta x} \left(\tilde{F}_{i+\frac{1}{2}}^{n+\frac{1}{2}} - \tilde{F}_{i-\frac{1}{2}}^{n+\frac{1}{2}} \right)$$

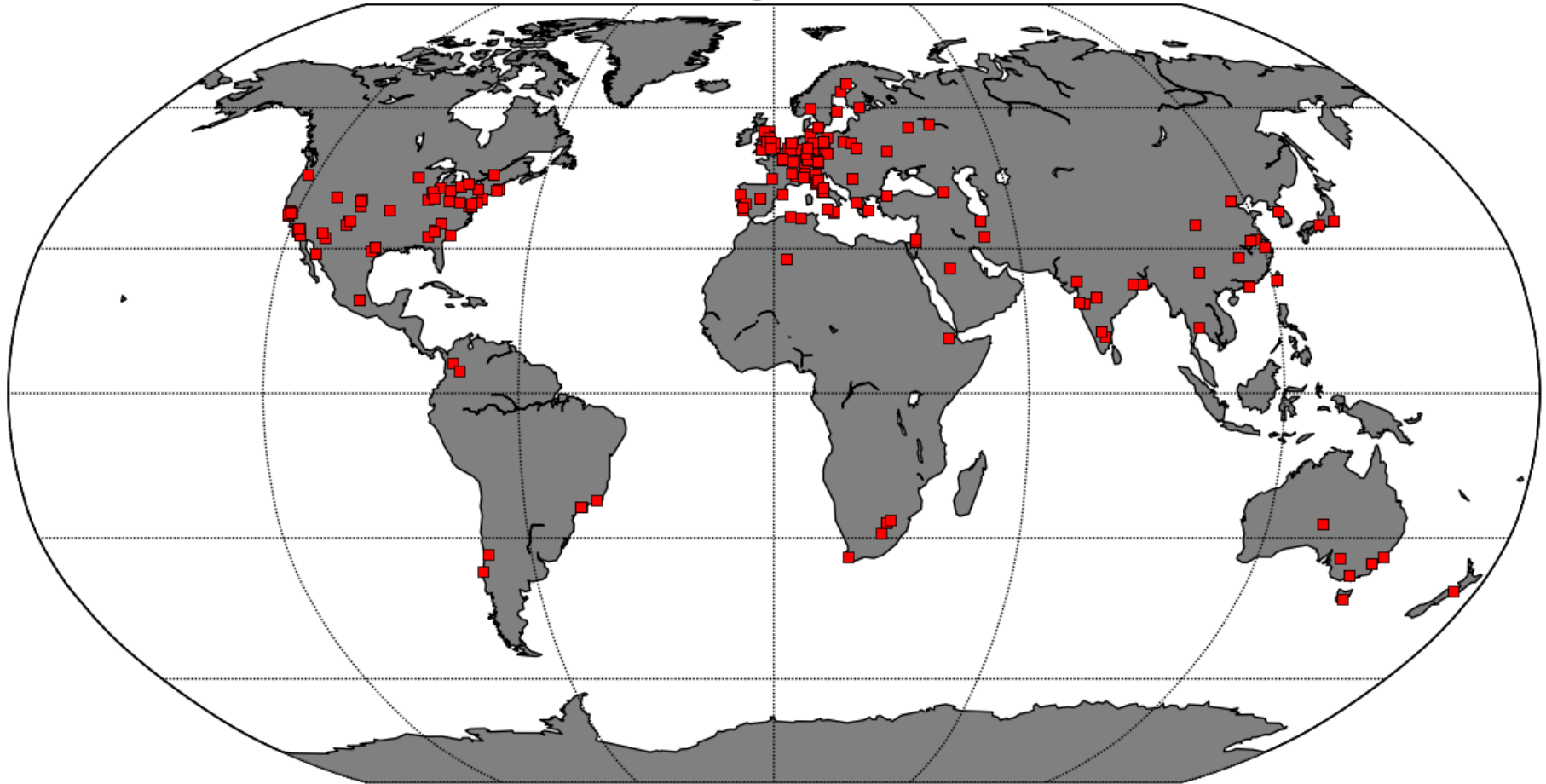


- Flux computed by solving a Riemann problem at cell interfaces: the decay of initially discontinuous data \rightarrow



PLUTO Worldwide Distribution

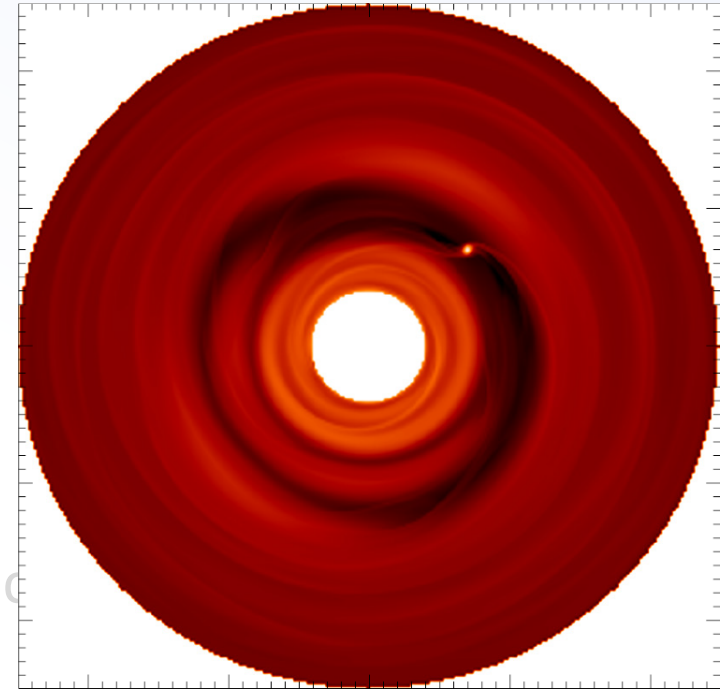
PLUTO Code Usage around the World



Total Downloads on 26/1/2016 : 430

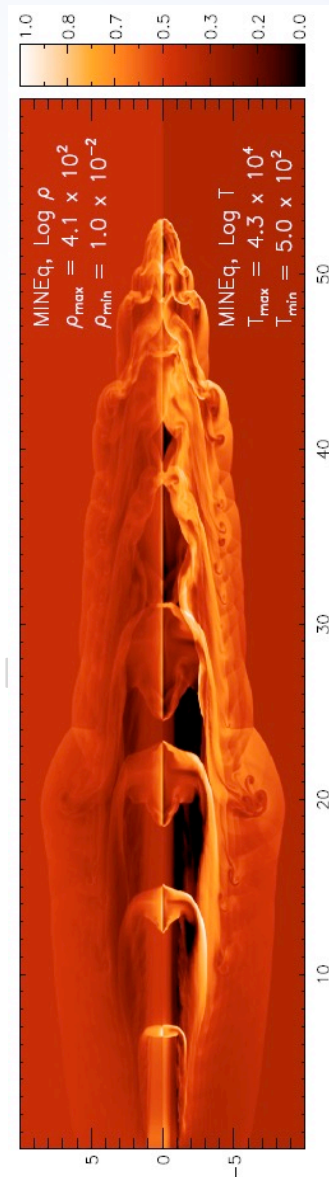
PLUTO Application Gallery

- Planet Formation
- Stellar Jets
- Radiative shocks
- Extragalactic Jets
- Jet Launching
- Magnetospheric accretion & star-disk Interaction
- Magneto-rotational instability (MRI) & accretion
- Relativistic Shock dynamics
- Fluid instabilities CD, KH, RT, etc...



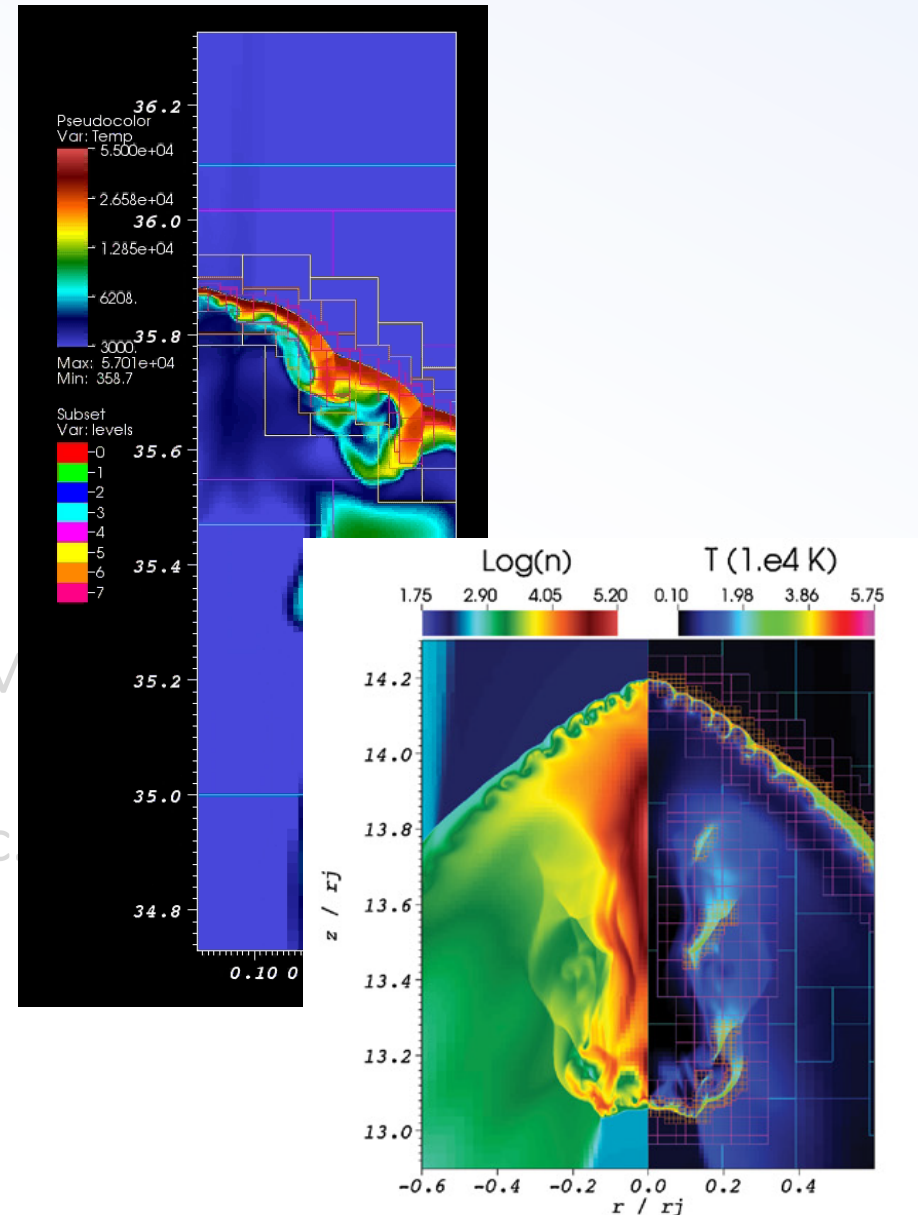
PLUTO Application Gallery

- Planet Formation
- **Stellar Jets**
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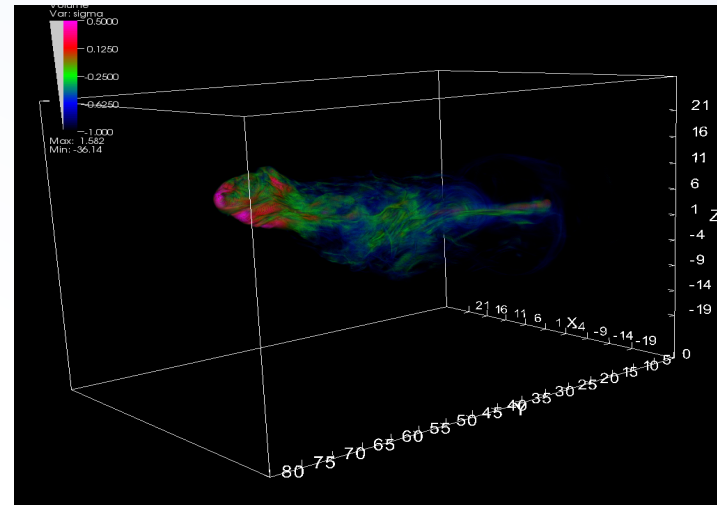
PLUTO Application Gallery

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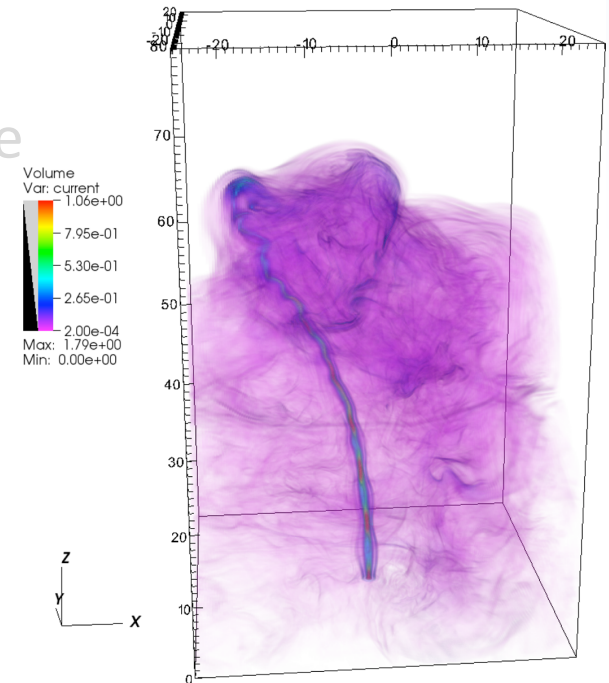


PLUTO Application Gallery

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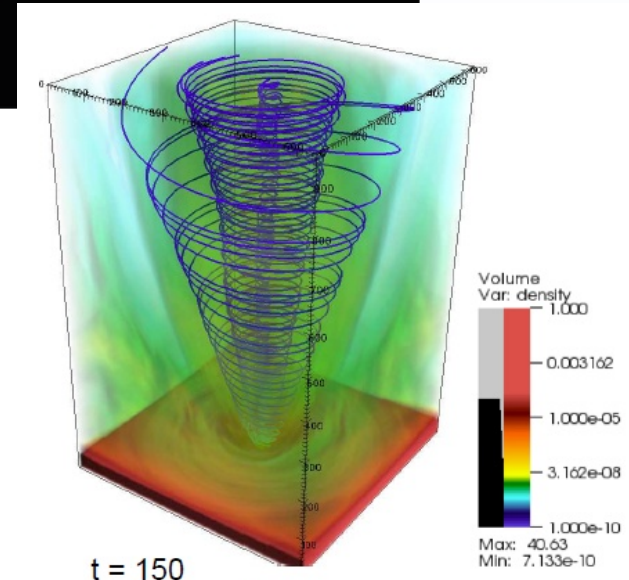
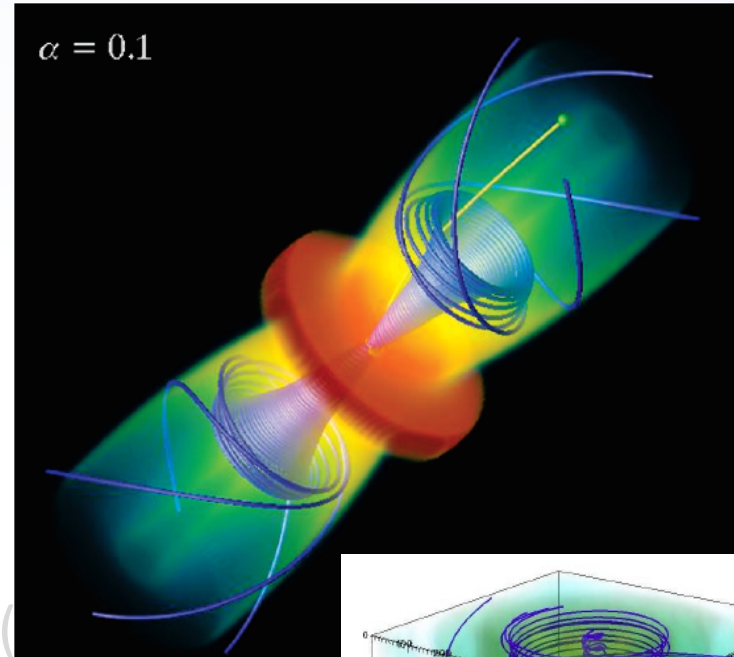


Case A3, $t=89.48$ (yrs)



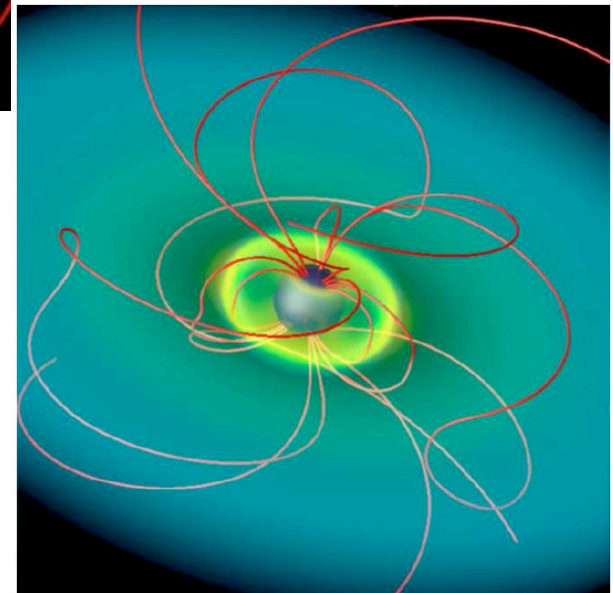
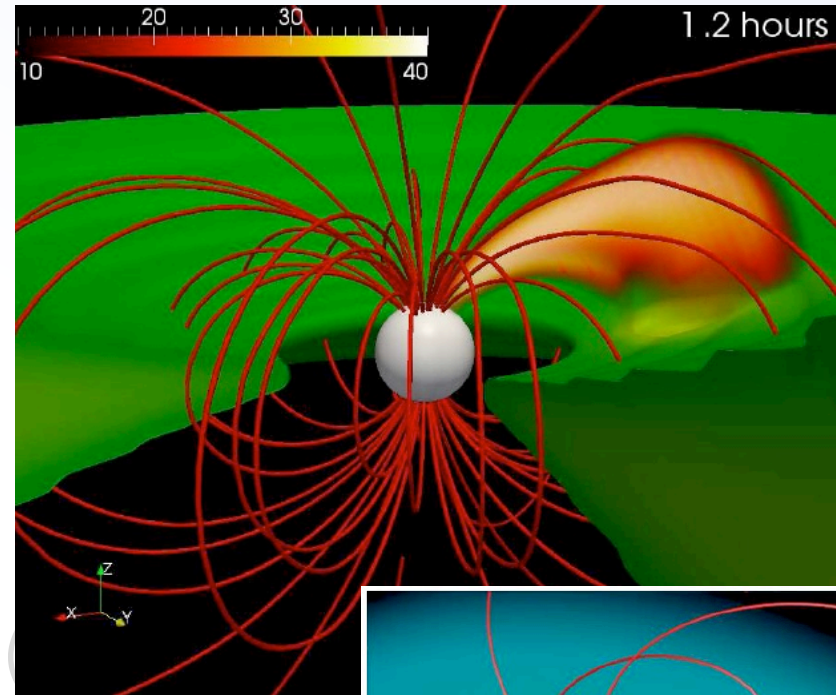
PLUTO Application Gallery

- Planet Formation
- Stellar Jets
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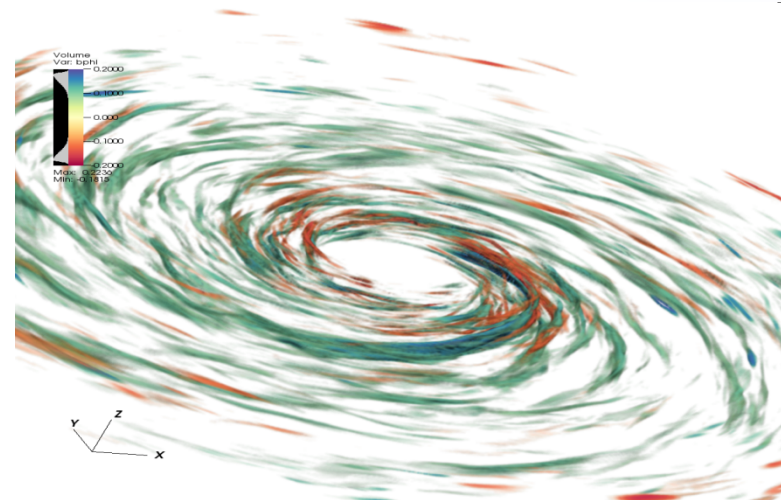
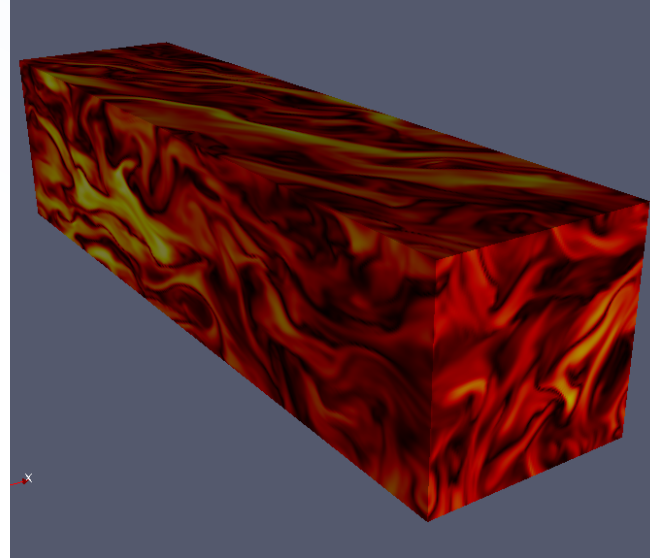
PLUTO Application Gallery

- Planet Formation
- Stellar Jets
- Radiative shocks
- Extragalactic Jets
- Jet Launching
- **Magnetospheric accretion & star-disk Interaction**
- Magneto-rotational instability
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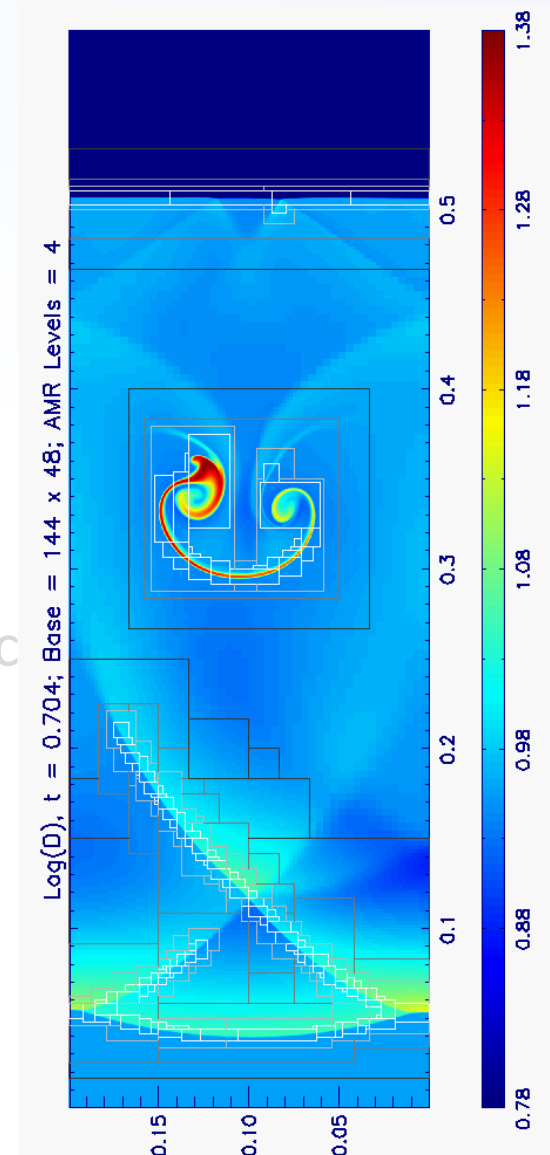
PLUTO Application Gallery

- Planet Formation
- Stellar Jets
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- Magnetospheric accretion & star-disk Interaction
- **Magneto-rotational instability (MRI) & accretion disks**
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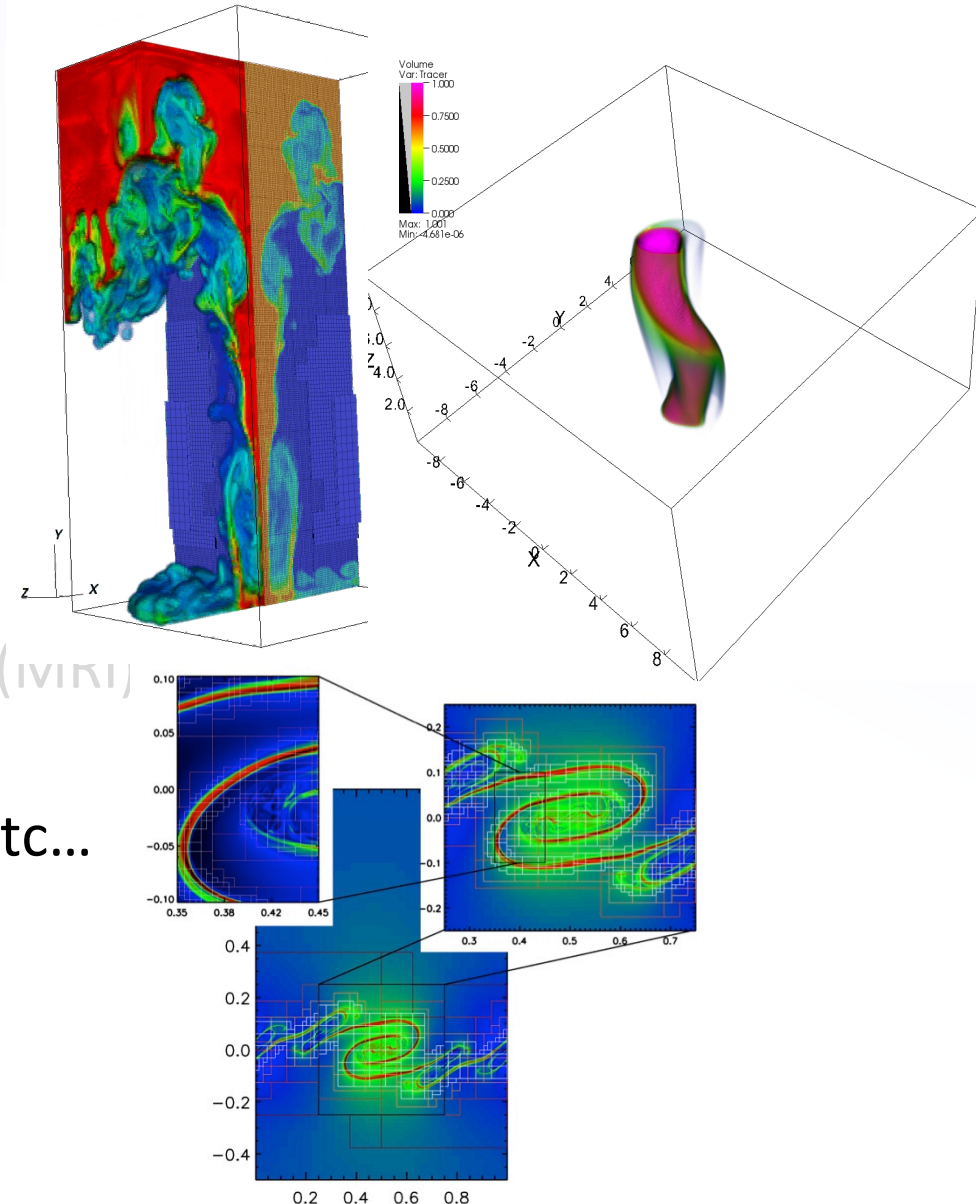
PLUTO Application Gallery

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PLUTO Application Gallery

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Setting up PLUTO

- Download latest PLUTO release from:
→ <http://personalpages.to.infn.it/~mignone/PLUTO/>
- Unpack using the *tar xzvf* command

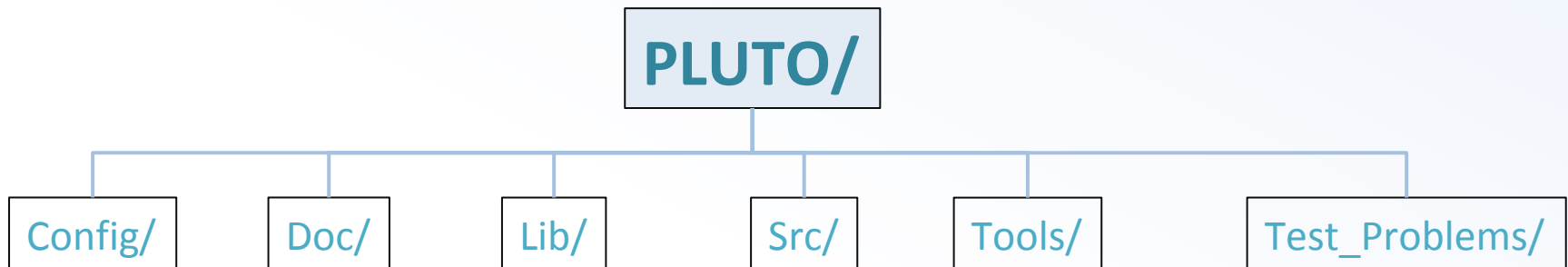
```
> tar xzvf pluto-4.3-beta-Nov2017.tar.gz
```

- This will create, at the level where you unpack, the main directory PLUTO/

```
> cd PLUTO/
```

```
> ls -l
total 96
-rw-r--r--  1 mignone  staff  18056 Jun 23 09:50 CHANGES
-rw-r--r--  1 mignone  staff  17982 Apr 18 2011 COPYING
drwxr-xr-x 10 mignone  staff   320 Nov 13 15:31 Config
drwxr-xr-x  9 mignone  staff   288 Nov 13 15:33 Doc
drwxr-xr-x  3 mignone  staff    96 Nov 13 15:31 Lib
-rw-r--r--  1 mignone  staff  2162 May 30 12:56 README
drwxr-xr-x 77 mignone  staff  2464 Nov 13 15:33 Src
drwxr-xr-x  7 mignone  staff   224 Nov 13 15:31 Test_Problems
drwxr-xr-x  7 mignone  staff   224 Nov 13 15:31 Tools
-rwxr-xr-x  1 mignone  staff  3919 Jun 19 18:03 setup.py
```

Directory Structure



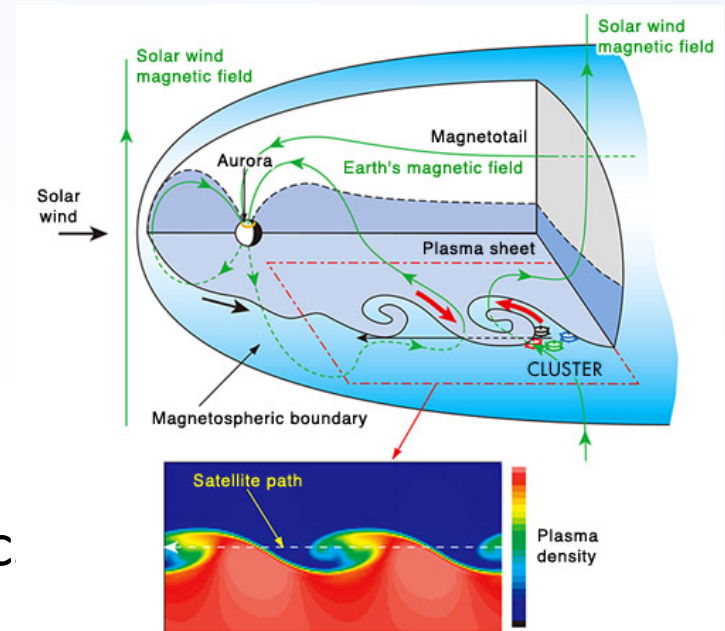
- **Config/**: contains machine architecture dependent files, such as information about C compiler, flags, library paths and so on. Useful for creating the *makefile*;
- **Doc/**: documentation directory;
- **Lib/**: repository for additional libraries;
- **Src/**: main repository for all **.c* source files with the exception of the *init.c* file, which is left to the user;
- **Tools/**: Collection of useful tools, such as Python scripts, IDL visualization routines, pyPLUTO, etc...;
- **Test_Problems/**: a directory containing several test-problems used for code verification.

EXAMPLE #1:

2D THE KELVIN-HELMHOLTZ INSTABILITY

1 - Kelvin-Helmholtz Instability

- The Kelvin–Helmholtz Instability (KHI) develops at the interface between two fluids in relative motion;
- Important in atmospheric flows, interaction between solar wind and magnetosphere (space weather), supersonic jet propagation (astrophysic etc...



Equations

- The instability may be analyzed using the compressible Euler equations,

$$\begin{cases} \frac{\partial \rho}{\partial t} + \nabla \cdot (\rho \mathbf{u}) &= 0 \\ \rho \left(\frac{\partial \mathbf{u}}{\partial t} + \mathbf{u} \cdot \nabla \mathbf{u} \right) + \nabla p &= 0 \\ \frac{\partial p}{\partial t} + \mathbf{u} \cdot \nabla p + \gamma p \nabla \cdot \mathbf{u} &= 0 \end{cases}$$

- In the vortex-sheet approximation, the velocity at equilibrium has a jump in the transverse direction

$$\mathbf{v} = \begin{cases} +M/2\hat{\mathbf{e}}_x & \text{for } y > 0 \\ -M/2\hat{\mathbf{e}}_x & \text{for } y < 0 \end{cases}$$

- Equilibrium density and pressure are constant,

Equations

- A linearization of the equations can be carried out for small perturbations,

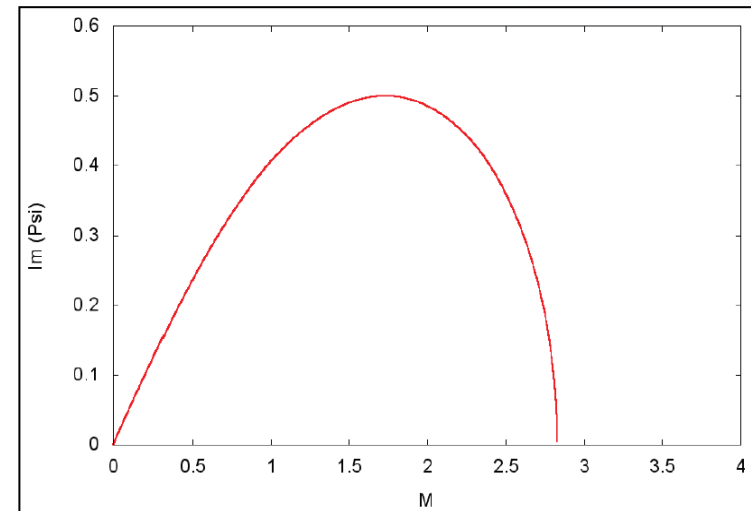
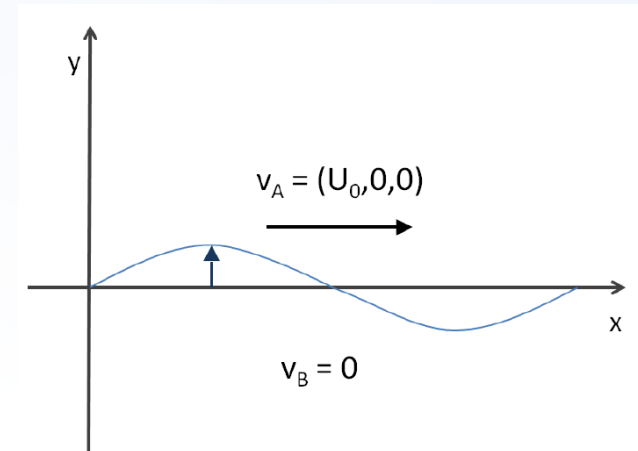
$$q(\mathbf{x}, t) = q_0 + q'(\mathbf{x}, t)$$

- where $q' = f(y)e^{i(kx - \omega t)}$ is a complex quantity.

- The linearization process leads to the following dispersion relation

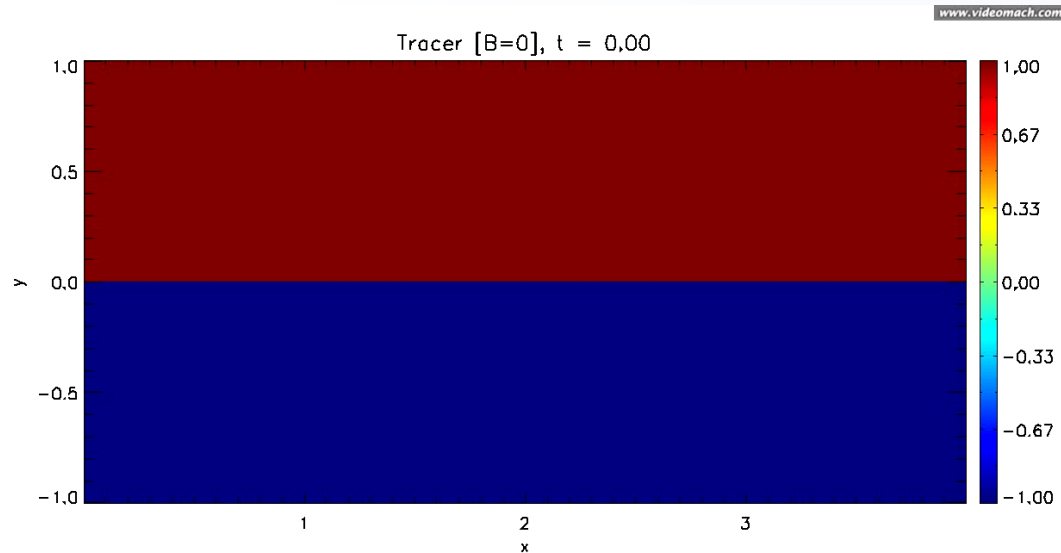
$$\frac{\omega}{kc_s} = \frac{M}{2} \pm i \left[\sqrt{M^2 + 1} - \left(\frac{M^2}{4} + 1 \right) \right]^{1/2}$$

- A complex value of $\omega(k)$ indicates an instability.



KH: Nonlinear evolution

- The growth of instability leads to a deformation of the interface creating a typical roll-up structure with vortex formation:



- Kinetic (ordered) energy is dissipated into disordered energy and the growth of perturbation at the interface leads to the generation of interacting vortices.
- Vortex merging leads to larger velocity shear and mixing of fluids from the two different regions.

Preparing to Run PLUTO

- PLUTO should be compiled and executed in a separate working directory which may be anywhere on your local hard drive
- To this end, we first need to set the environment variable PLUTO_DIR to point to this directory. In a bash shell,

```
> export PLUTO_DIR=$HOME/tmp/PLUTO
```

- Change directory to [Test_Problems/MHD/Kelvin_Helmholtz](#);
- In order to configure PLUTO, four basic steps are needed:

1. Creating the problem header file (*definitions.h*);
2. Choosing the *makefile*;
3. Tuning the runtime initialization file *pluto.ini*;
4. Coding initial & boundary conditions (*init.c*);

Through the Python script

Manually

The Python Menu (Step #1 & #2)

- Run the *python* script:

```
> python $PLUTO_DIR/setup.py
```

- The script will now enter into the main menu:

```
>> Python setup (Nov 2017) <<
```

```
Working dir: /Users/mignone/Didattica/Fluidi e Plasmi/Codes/PLUTO/KH  
PLUTO dir  : /Users/mignone/PLUTO
```

Setup problem

```
Change makefile  
Auto-update  
Save Setup  
Quit
```

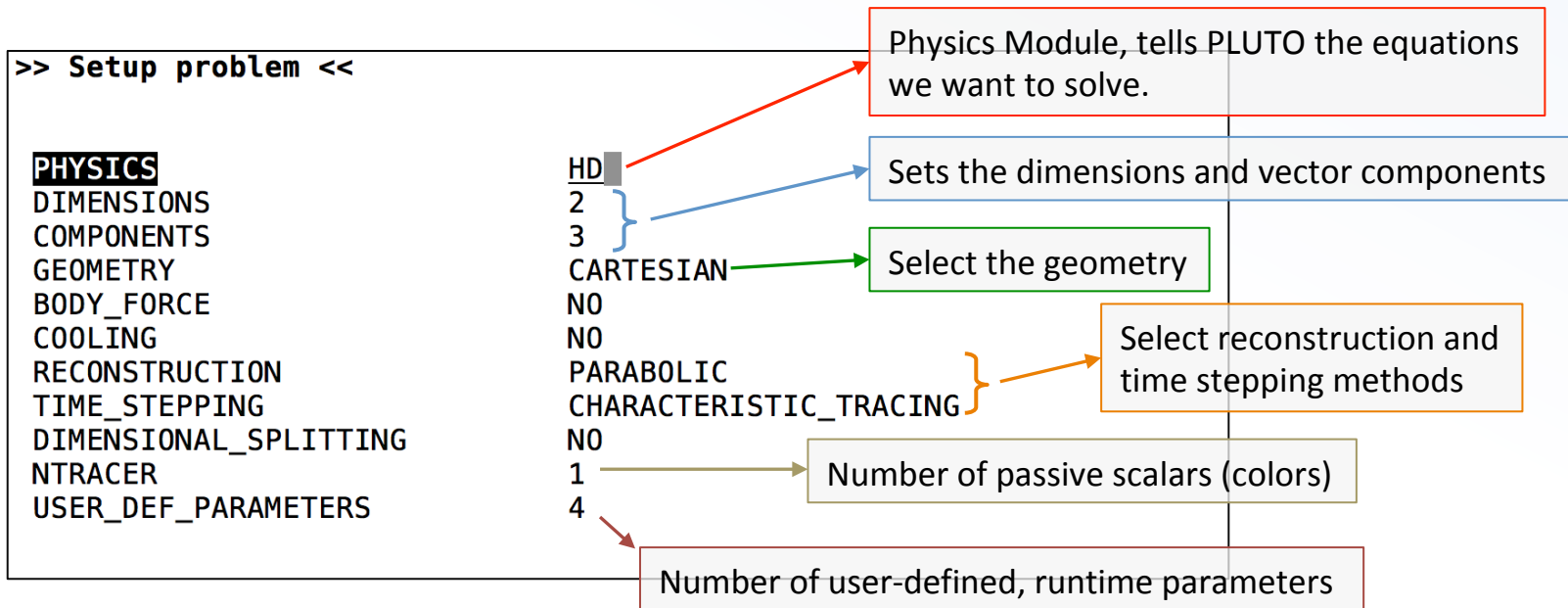
- Press enter under “*Setup problem*”

```
>> Setup problem <<
```

PHYSICS	HD
DIMENSIONS	2
COMPONENTS	3
GEOMETRY	CARTESIAN
BODY_FORCE	NO
COOLING	NO
RECONSTRUCTION	PARABOLIC
TIME_STEPPING	CHARACTERISTIC_TRACING
DIMENSIONAL_SPLITTING	NO
NTRACER	1
USER_DEF_PARAMETERS	4

The “Setup problem” menu

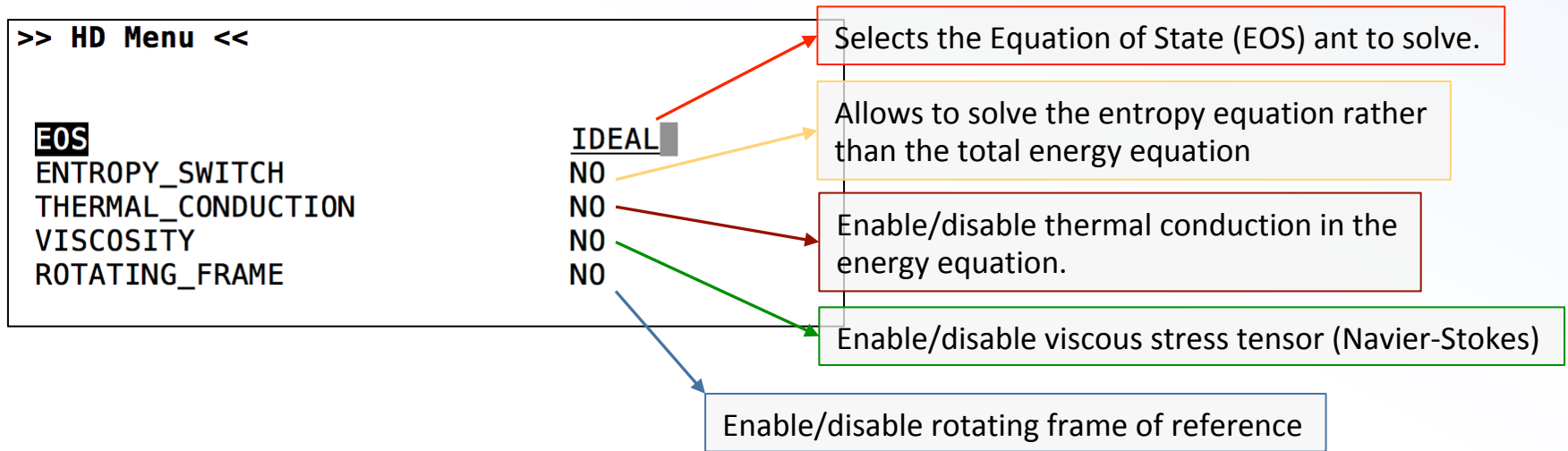
- In a self-explanatory way, the setup menu allows the user to configure the basic features for your problem:



- By pressing enter, you'll be directed to a second menu →

The “Physics” Sub-menu

- In the following menu, only directive relative to the HD module will be shown



- For the problem at hand, we neglect dissipative effects.

User-Defined Parameters

- The third menu can be used to setup parameter names:

```
>> User-defined Parameters <<
```

0	MACH
1	WIDTH
2	VALF
3	THETA

Makefile Menu

- Once we're back to the main menu, we can select a different makefile (→ *"Change makefile"*)

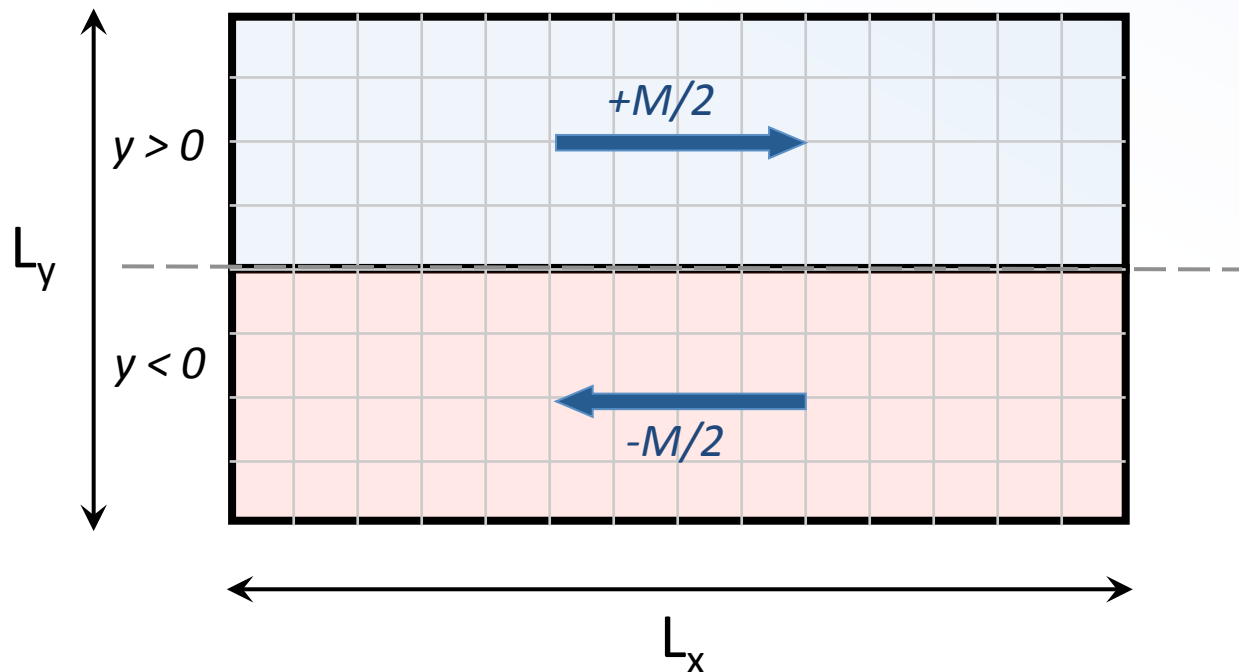
```
>> Change makefile <<
```

```
Aurora.gcc.defs  
Aurora.mpicc.defs  
CYGWIN_NT-6.1.x86_64.gcc.HDF5.defs  
Darwin.gcc.defs  
Darwin.mpicc.defs  
FERMI.mpixlc.defs  
Linux.gcc.defs  
Linux.mpicc.defs  
MARCONI.mpiicc.defs  
Template.defs  
debug.defs  
phw184mc.gcc.defs  
phw184mc.mpicc.defs  
preprocessed.defs  
profile.defs
```

- Configuration files are taken from the [Config/](#) directory.
- If you have no idea, simply go with *Linux.gcc.defs* (for a serial run) or *Linux.mpicc.defs* (for a parallel run).

Setting Initial & Boundary Conditions (Step #3 & #4)

- We start considering a 2D Cartesian box, filled with two uniform fluids ($\rho = 1$, $p = 1/\Gamma$) in pressure equilibrium and in relative motion:



- For simplicity we choose a periodic boundary in the x-direction and zero-gradient boundary conditions in the y-direction.

Specifying Initial Conditions:

- Initial condition must be coded inside *init.c* file using the `Init()` function;
- This file is always in your local working directory.

```
/* ***** */
void Init (double *v, double x, double y, double z)
/*
*
***** */
{
    static int first_call = 1;
    double rnd, eps;
    double M      = g_inputParam[MACH];
    double w      = g_inputParam[WIDTH];
    double vA     = g_inputParam[VALF];
    double theta  = g_inputParam[THETA]/180.0*CONST_PI;

    if (first_call == 1){          /* Seed random number sequence */
        srand(time(NULL) + prank);
        first_call = 0;
    }
    rnd = (double)(rand())/((double)RAND_MAX + 1.0); /* Generate random number */
    eps = 0.01*M;                                     /* Perturbation amplitude */

    v[RHO] = 1.0;                                     /* Set constant density */
    v[VX1] = 0.5*M*tanh(y/w);                          /* Main flow */
    v[VX2] = eps*2.0*(rnd-0.5)*exp(-y*y*10.0); /* Vertical perturbation */
    v[VX3] = 0.0;

    v[PRS] = 1.0/g_gamma;                               /* Set constant pressure (cs = 1) */
    v[TRC] = (y < 0.0 ? 1.0:-1.0); /* Passive tracer (color) */

    #if PHYSICS == MHD
    v[BX1] = vA*cos(theta); /* Magnetic field lies in the x-z plane. */
    v[BX2] = 0.0;           /* Theta is the angle between B and x-direction */
    v[BX3] = vA*sin(theta);

    v[AX1] = 0.0;
    v[AX2] = 0.0;
    v[AX3] = y*v[BX1];
    #endif
}
```


Runtime Parameters: *pluto.ini*

- At runtime, PLUTO reads the *pluto.ini* file which is used to control several options use by the code at runtime, such as grid generation, CFL number, boundary conditions, output type and so forth.
- The file contains several blocks, of the form

```
[Block]
```

```
label      ...  fields  ...  
label      ...  fields  ...  
label      ...  fields  ...
```

- This file can be edited manually.

```
[Grid]
```

```
X1-grid  1   0.0  160  u   1.0  
X2-grid  1  -1.0  320  u   1.0  
X3-grid  1   0.0   1   u   1.0
```

```
[Time]
```

```
CFL              0.8  
CFL_max_var      1.1  
tstop            10.0  
first_dt         1.e-4
```

```
[Solver]
```

```
Solver           roe
```

```
[Boundary]
```

```
X1-beg          periodic  
X1-end          periodic  
X2-beg          outflow  
X2-end          outflow  
X3-beg          outflow  
X3-end          outflow
```

```
[Static Grid Output]
```

```
uservar         0  
dbl             10.0  -1   single_file  
flt             -1.0  -1   single_file  
vtk             0.1   -1   single_file  
tab             -0.1  -1  
ppm             -1.0  -1  
png             -1.0  -1  
log             10  
analysis        -1.0  -1
```

```
[Parameters]
```

```
MACH              5.0  
WIDTH            0.00001  
VALF             0.1  
THETA            90.0
```

Compiling and Running

- PLUTO can now be compiled by typing “make” at the command prompt.
- You can now run the code by typing:
 - Local machine, serial run: `./pluto`
 - Local machine, parallel run: `mpirun -np <n> ./pluto`
 - Cluster (Marconi): use the `qsub` command for job submission

Output log

...

```
> Memory allocation
> Assigning initial conditions (Startup) ...
> Normalization Units:
```

```
[Density]:      1.673e-24 (gr/cm^3), 1.000e+00 (1/cm^3)
[Pressure]:     1.673e-14 (dyne/cm^2)
[Velocity]:     1.000e+05 (cm/s)
[Length]:       1.496e+13 (cm)
[Temperature]:  1.203e+02 X (p/rho*mu) (K)
[Time]:         1.496e+08 (sec), 4.744e+00 (yrs)
```

Physical units

```
> Number of processors: 4
> Proc size:           80 X 160
> Parallel Directions: X1/X2
> Writing file #0 (dbl) to disk... [ 0.00 sec]
> Writing file #0 (vtk) to disk... [ 0.00 sec]
> Starting computation...
```

Max Mach number
at each step

```
step:0; t = 0.0000e+00; dt = 1.0000e-04; 0 %; [0.000000, 0]
step:10; t = 1.5937e-03; dt = 2.5937e-04; 0 %; [0.500702, 0]
step:20; t = 5.7275e-03; dt = 6.7275e-04; 0 %; [0.503232, 0]
step:30; t = 1.6449e-02; dt = 1.7449e-03; 0 %; [0.504323, 0]
step:40; t = 4.2983e-02; dt = 3.3267e-03; 0 %; [0.503382, 0]
```

Current time

...

```
step:3540; t = 9.9427e+00; dt = 2.7772e-03; 99 %; [1.167689, 0]
step:3550; t = 9.9705e+00; dt = 2.7828e-03; 99 %; [1.171169, 0]
step:3560; t = 9.9983e+00; dt = 1.6718e-03; 99 %; [1.176916, 0]
> Writing file #1 (dbl) to disk... [ 0.00 sec]
> Writing file #100 (vtk) to disk... [ 0.00 sec]
```

Current time step

```
> Total allocated memory    7.10 Mb (proc #0)
> Elapsed time              0d:0h:0m:55s
> Average time/step        1.54e-02 (sec)
> Local time               Tue Nov 14 09:43:32 2017
> Done
```

Everything's fine !

Visualization with IDL

- Set the IDL path to include PLUTO IDL script directory:

```
> export IDL_PATH='<IDL_DEFAULT>: '$HOME/tmp/PLUTO/Tools/IDL
```

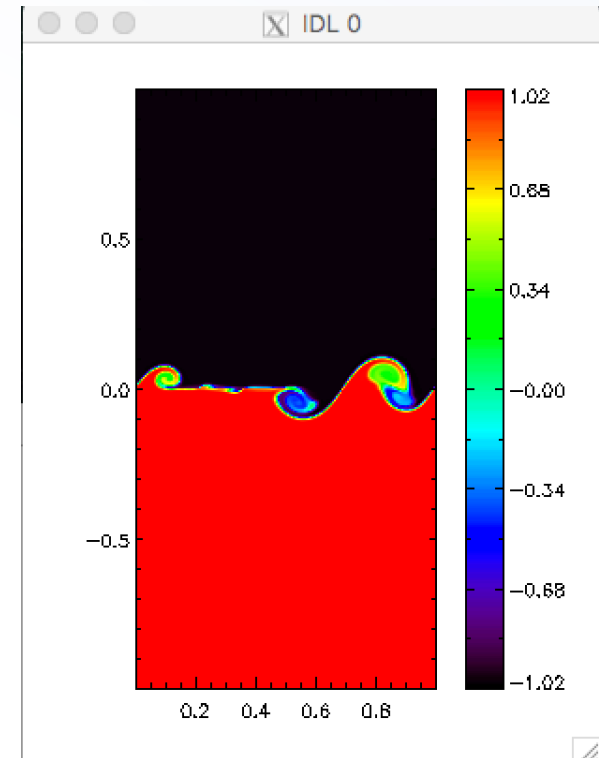
- Launch IDL, I

```
IDL> pload,/vtk,25
```

Load output data #25 in
vtk format

```
IDL> display,x1=x1,x2=x2,/vbar,tr1
```

Display, the tracer field adding
Coordinates and vertical colorbar.



Visualization with Gnuplot

- Set the path

```
> export GNUPLOT_LIB=$PLUTO_DIR/Tools/Gnuplot
```

- After launching gnuplot,

```
gnuplot> dsize=4
```

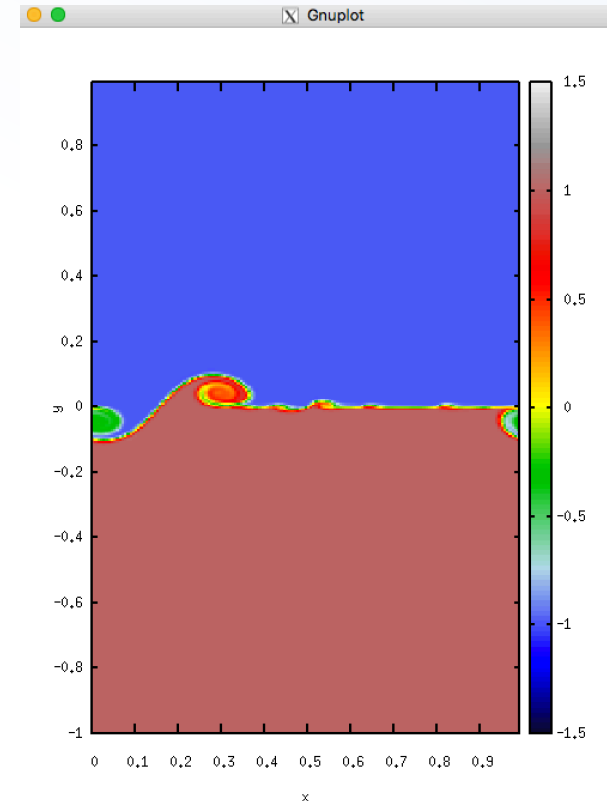
Tells gnuplot we're reading single precision (4 bytes) datafile

```
gnuplot> load "pluto.gp"
```

Read Gnuplot scripts

```
gnuplot> nvar=5; splot "data.0025.flt" @BINARR
```

Display variable #5 (tracer) on screen

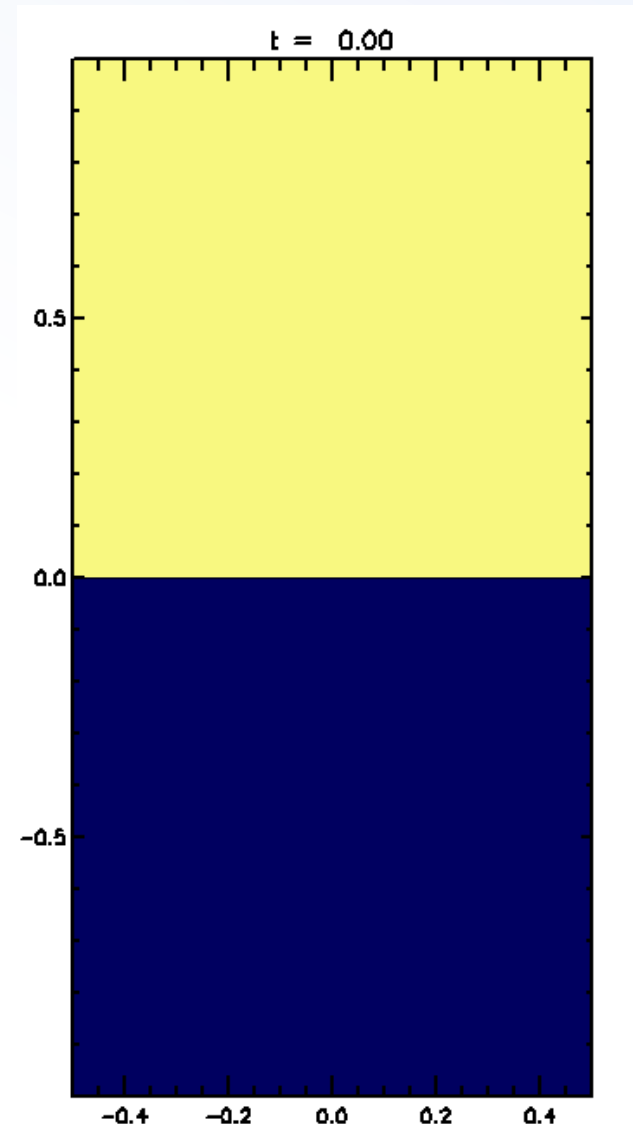


EXAMPLE #2:

RAYLEIGH-TAYLOR INSTABILITY

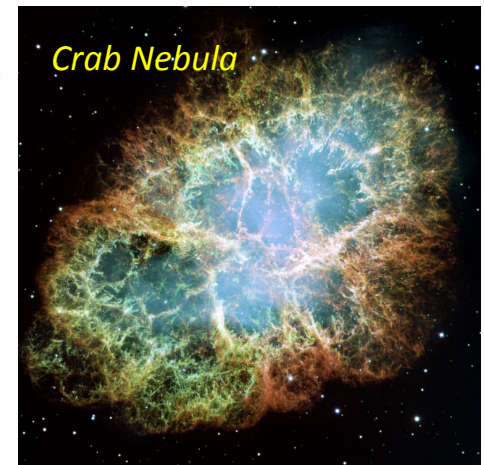
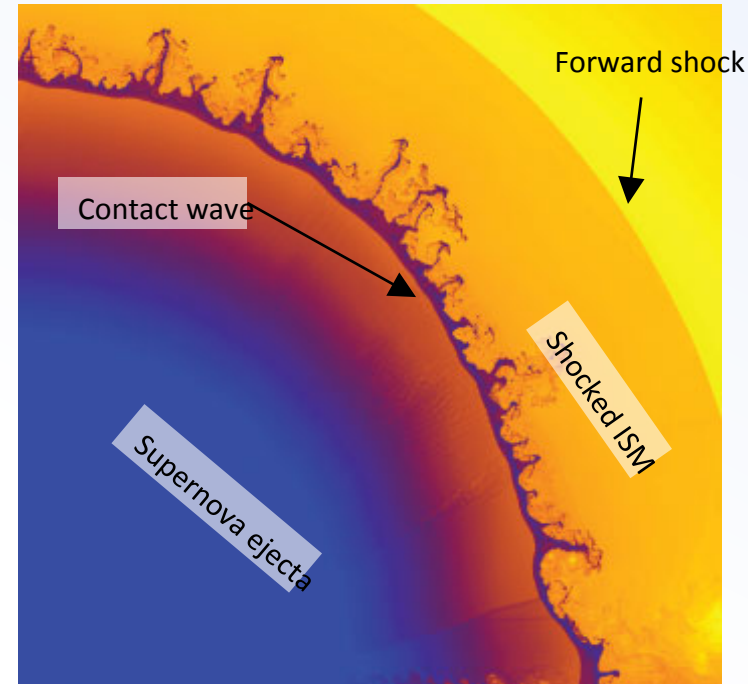
The Rayleigh-Taylor Instability

- The Rayleigh-Taylor (RT) instability occurs at the interface between two fluids of different densities, when the light one supports the heavier ones against gravity.
- The amplitude grows and the further upward motion of the lighter fluid assumes the form of rising bubble while the sinking fluid becomes finger-shaped.
- As the instability proceeds, fingers evolve into mushroom-like vortex motion accompanied by secondary shear flow instabilities.



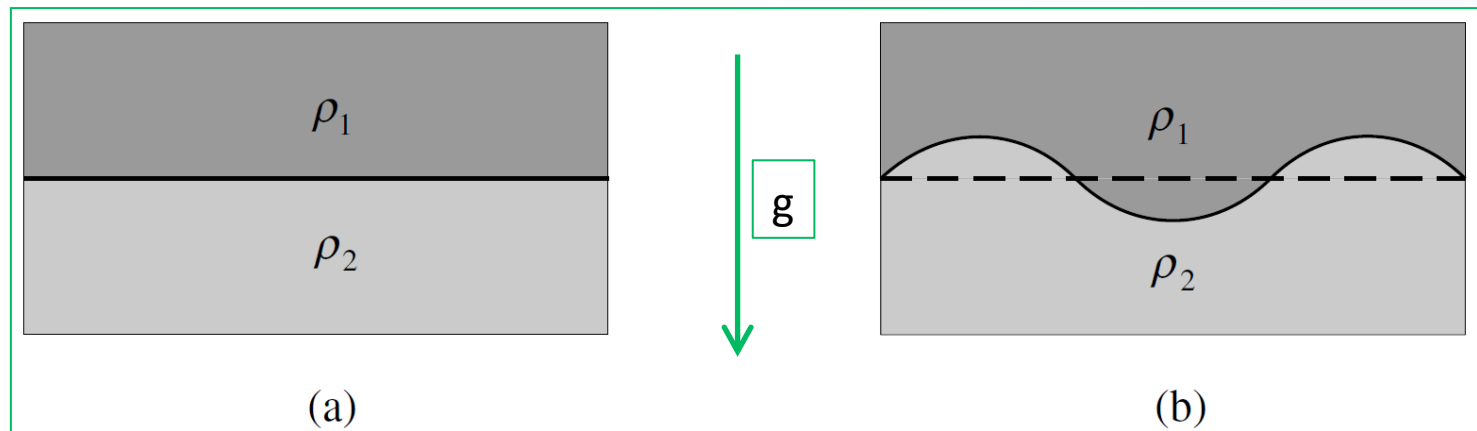
Astrophysical Application: SN Remnants

- In a supernova (SN) explosion a large amount of energy is released resulting in a formation of a large scale SN remnant (SNR)
- The dense shell of ejected material *decelerates* in a rarefied interstellar medium (ISM) and is unstable to RT-type instabilities.
- Responsible for finger-like structures of material protruding from the contact discontinuity between the two media.
- These instabilities modify the morphology of the SNR causing a departure of the ejecta from spherical symmetry.



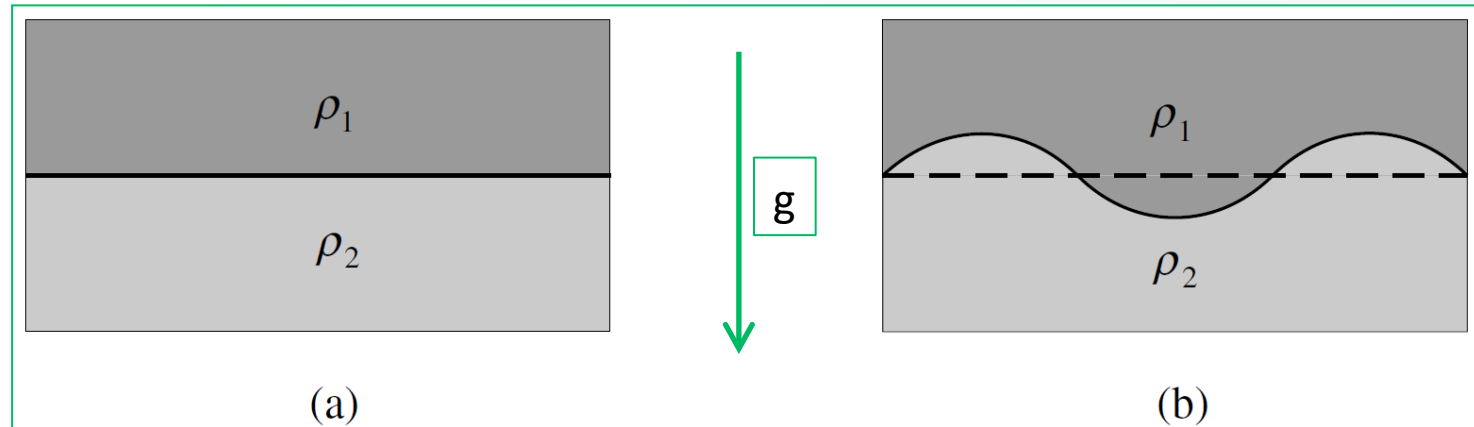
RTI: Analysis

- Consider the case where two fluids with densities ρ_1 and ρ_2 are on top of each other:



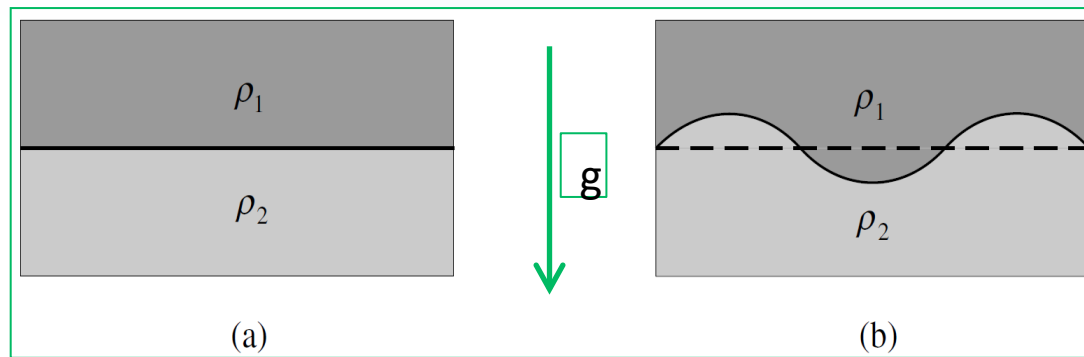
- This is an equilibrium situation if the stratification is supported by a pressure gradient: $\text{grad}(p) = \rho g$.
- Is this a stable equilibrium ?

Rayleigh-Taylor Instability (RTI)



- Let's now perturb the equilibrium by rippling the boundary layer.
- The fluid element of density ρ_1 has moved downwards with consequent loss of gravitational potential energy while the opposite is true of the fluid element of density ρ_2 .
- It is intuitively obvious that the only stable equilibrium is to have the denser fluid supporting the less dense. The instability that arises when $\rho_2 < \rho_1$ is called the Rayleigh–Taylor instability.

RTI: Linear Analysis



- From normal mode analysis it is found that, in absence of magnetic field,

$$\omega^2 = -\frac{kg(\rho_1 - \rho_2)}{\rho_1 + \rho_2}$$

- If $\rho_1 < \rho_2$ the equilibrium is stable \rightarrow surface gravity waves
- If $\rho_1 > \rho_2$ the equilibrium is unstable \rightarrow Rayleigh-Taylor instability

RTI: Linear Evolution

- When $\rho_1 > \rho_2$ the growth rate is purely imaginary and this corresponds to an instability:

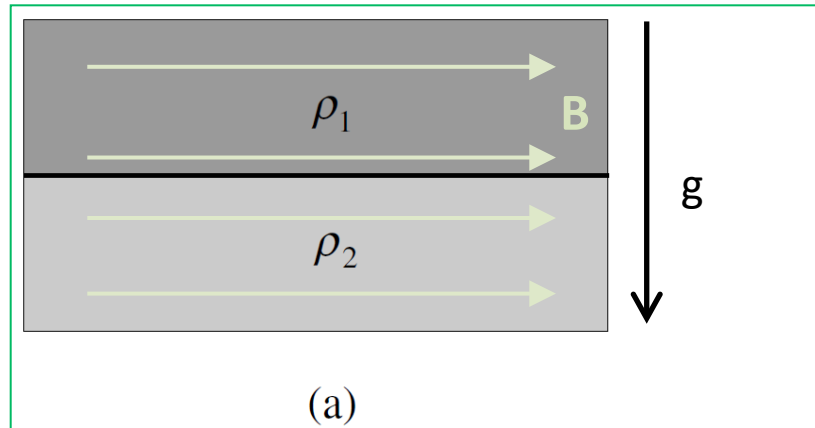
$$\omega = \pm i \sqrt{kg \frac{\rho_1 - \rho_2}{\rho_1 + \rho_2}}$$

- The heavier fluid will try to sink below the lighter fluid.
- Clearly, the fastest growth rate $(kg)^{1/2}$ occurs when $\rho_1 \gg \rho_2$.



RTI: Effects of Magnetic Fields

- In a plasma, density and pressure are tied, magnetic field can change pressure but not density.



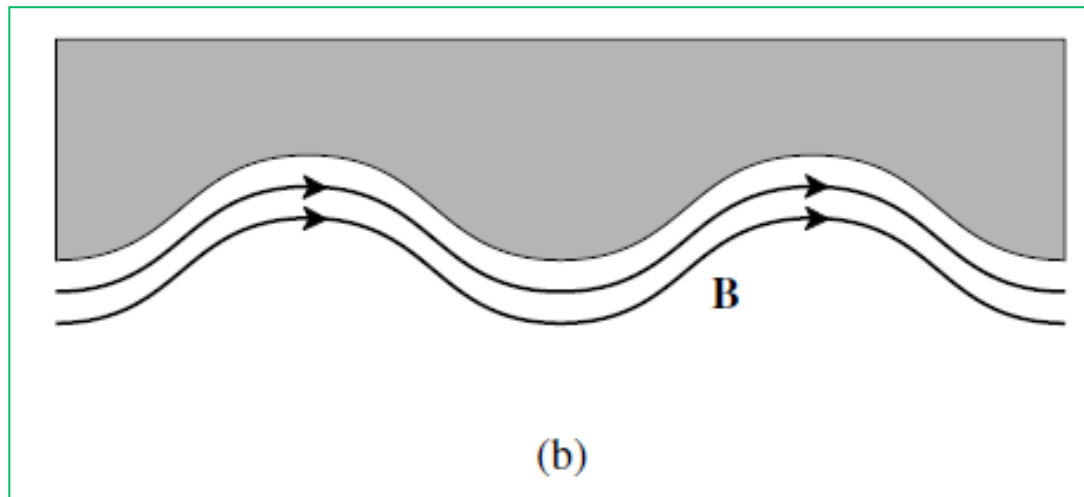
- The presence of a uniform magnetic field has the effects of reducing the growth rate of modes parallel to it, although the interface still remains Rayleigh–Taylor unstable in the perpendicular direction.

Magnetized RTI: Linear Analysis

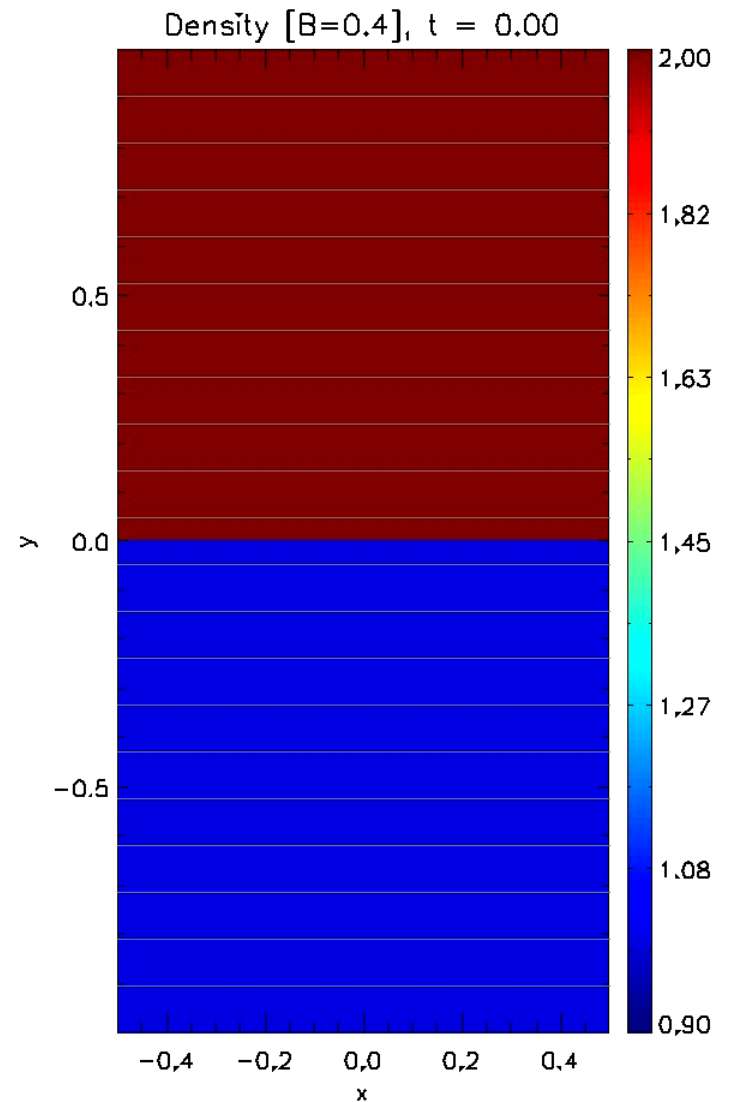
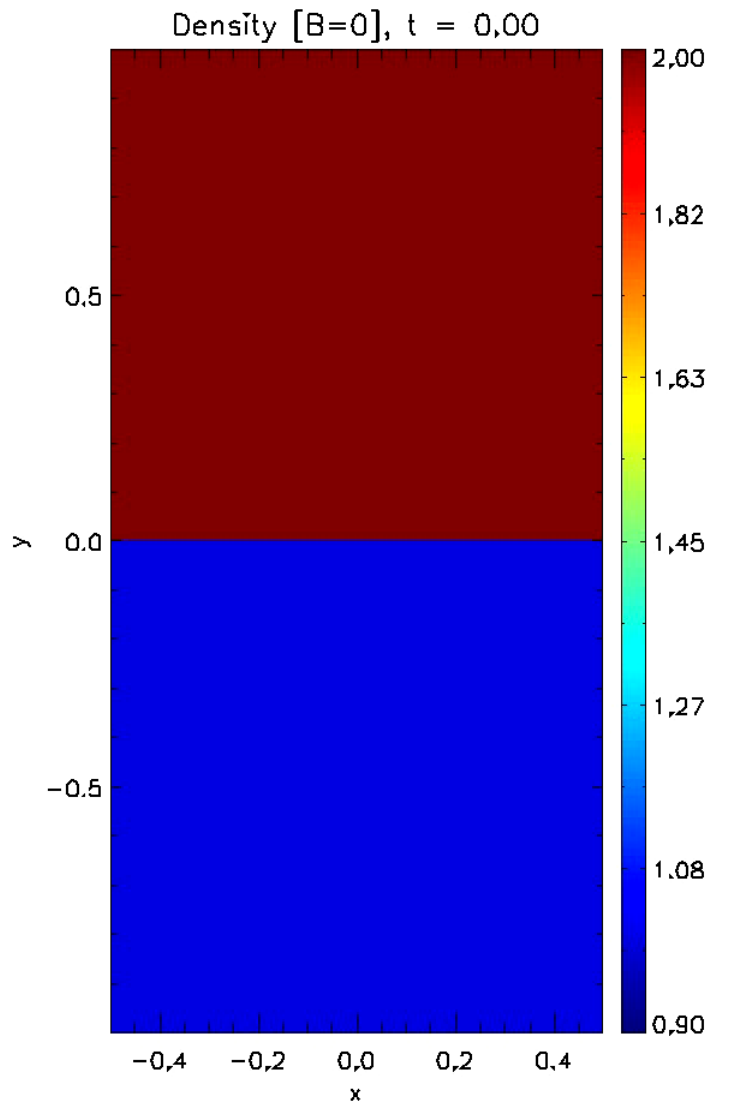
- The growth rate now becomes

$$\omega^2 = -|\mathbf{k}| g \frac{\rho_1 - \rho_2}{\rho_1 + \rho_2} + 2 \frac{(\mathbf{k} \cdot \mathbf{B}_0)^2}{4\pi(\rho_1 + \rho_2)}$$

- Shorter wave modes such that $k \geq \frac{\mu_0 g (\rho_1 - \rho_2)}{2B_0^2 \cos^2 \theta}$ are stabilized.
- Bending of field lines resist to the growth of perturbation:



Nonlinear Evolution: HD vs MHD



Initial condition (Test_Problems/MHD/Rayleigh_Taylor/)

```

/* ***** */
void Init (double *v, double x1, double x2, double x3)
/*
 *
***** */
{
    double x=x1, y=x2, z=x3;
    double rnd, Bc, g;

    g = g_inputParam[GRAV];

    if (y < 0.0) v[RHO] = 1.0;
    else       v[RHO] = g_inputParam[ETA];

    v[PRS] = 1.0/g_gamma + v[RHO]*g*y; /* Hydrostatic balance */
    v[VX1] = v[VX2] = v[VX3] = 0.0;

/* -----
   Add perturbation
   ----- */

    #if USE_RANDOM_PERTURBATION == YES
        rnd = RandomNumber(-1,1);
        v[VX2] = 1.e-2*rnd*exp(-y*y*200.0);
    #else
        #if DIMENSIONS == 2
            v[VX2] = -1.e-2*(1.0 + cos(2.0*CONST_PI*x))*exp(-y*y*200.0);
        #elif DIMENSIONS == 3
            rnd = sqrt(x*x + z*z);
            v[VX2] = -1.e-2*exp(-rnd*rnd/(0.2*0.2))/cosh(y*y/(0.1*0.1));
        #endif
    #endif

/* -----
   Set magnetic field in units of Bc
   ----- */

    #if PHYSICS == MHD
        Bc = sqrt((g_inputParam[ETA] - 1.0)*fabs(g)); /* Critical field */
        v[BX1] = g_inputParam[CHI]*Bc/sqrt(4.0*CONST_PI);
        v[BX2] = 0.0;
        v[BX3] = 0.0;
        v[AX1] = v[AX2] = 0.0;
        v[AX3] = y*v[BX1];
    #endif
}

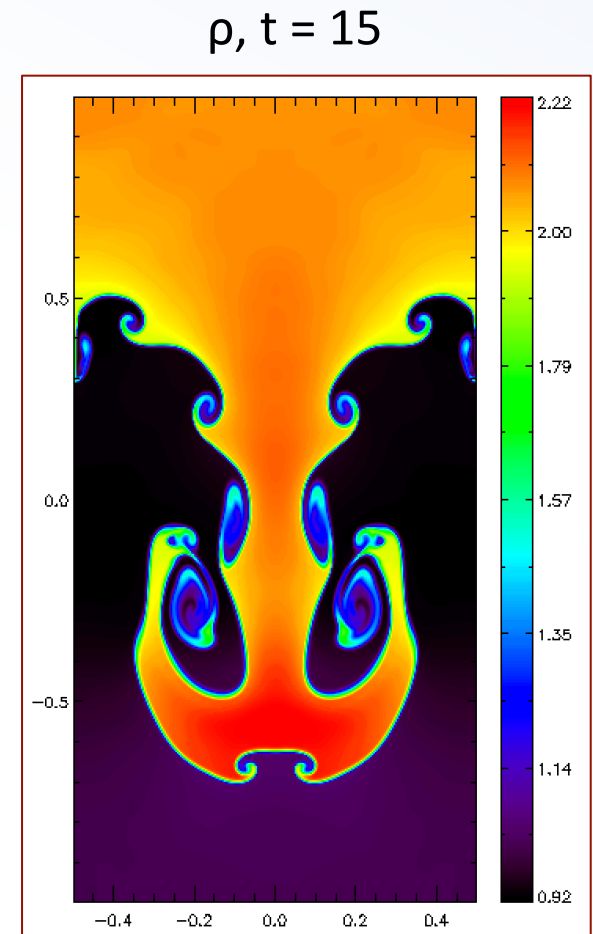
```

$$\rho(y) = \begin{cases} 1 & \text{for } y \leq 0 \\ \eta & \text{for } y > 0 \end{cases}, \quad p = p_0 + \rho y g$$

$$B = \chi B_c \hat{i}, \quad B_c \equiv \sqrt{(\rho_{hi} - \rho_{lo})L|g|} \rightarrow \sqrt{(\eta - 1.0)|g|}$$

Runinng the Test Problem...

- Run the python script, select your makefile
- Change the resolution from pluto.ini
- Compile
- Run
- Use IDL, gnuplot (or other) to visualize data.



EXAMPLE #3:

JET PROPAGATION

Accretion Physics

- Accretion disk

structure of gas in orbital motion around a central object (typically newborn star, neutron star, supermassive black hole);

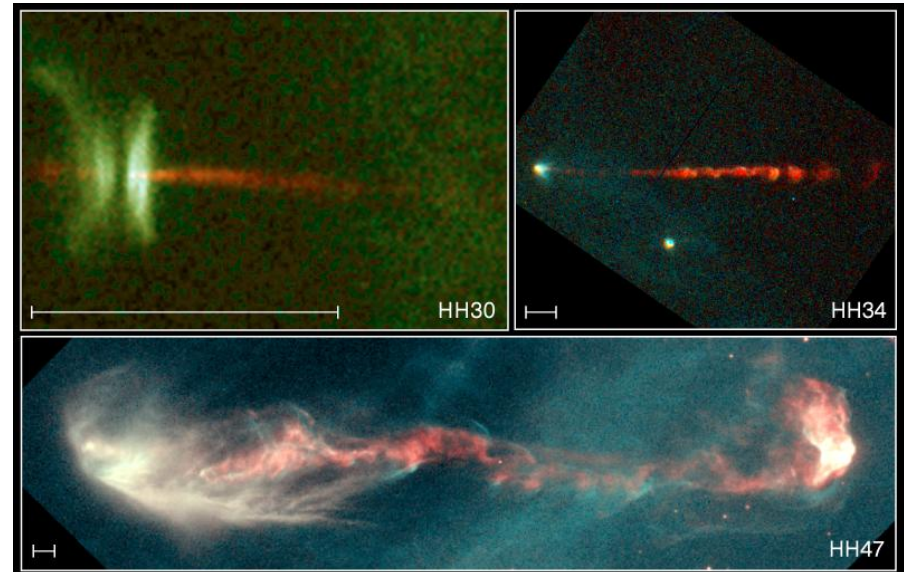
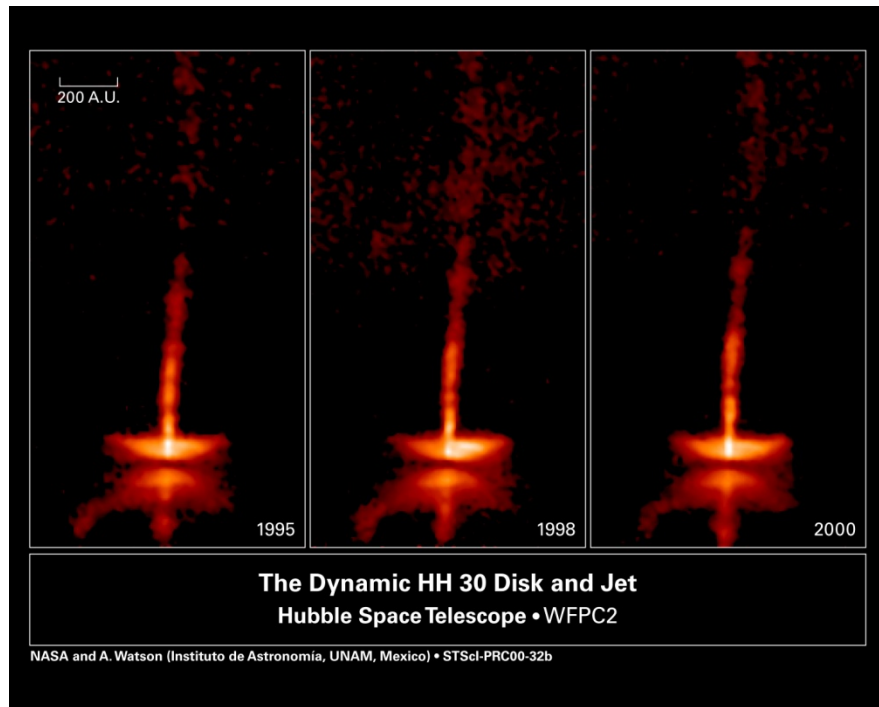
- Jet

collimated outflow emerging from the innermost regions of an accretion disk.



Accretion/Ejection systems

Star Formation Regions / Young Stellar Objects (YSO)



vel $\sim 100\text{--}500$ km/s; $n \sim 10^3\text{--}10^4$ cm $^{-3}$; Size $\sim 10^3\text{--}10^5$ AU; $T \sim 10^3\text{--}10^4$ K; Age: $10^4\text{--}10^5$ yrs
Thermal emission processes

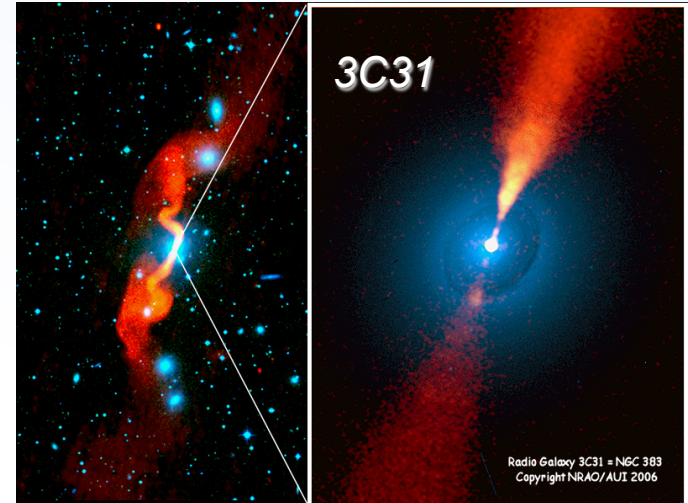
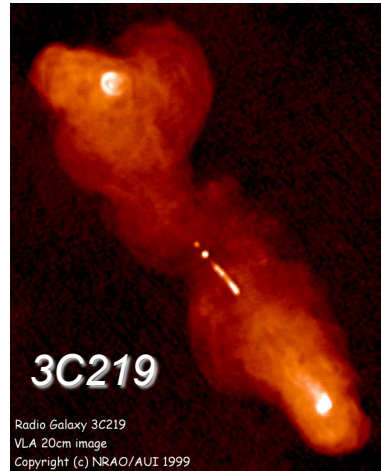
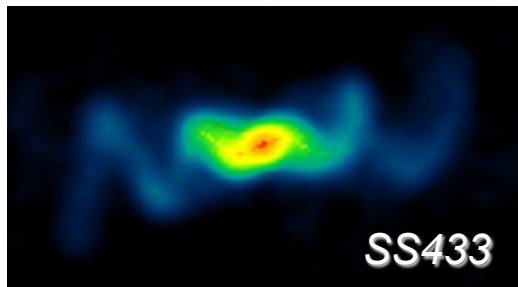
Accretion/Ejection systems

Compact Objects (BH, NS)

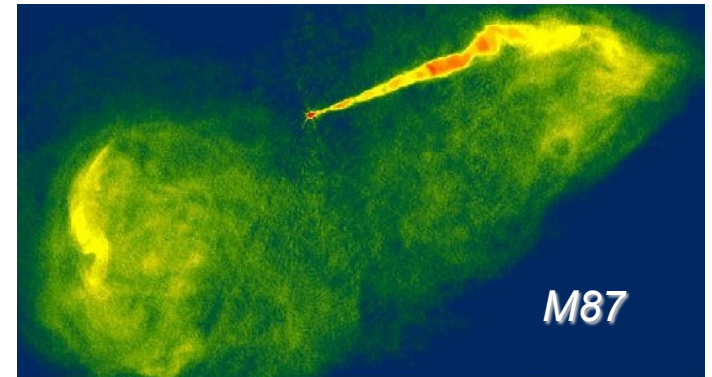


*X-Ray
Binaries*

Micro Quasars



Active Galactic Nuclei (AGN)

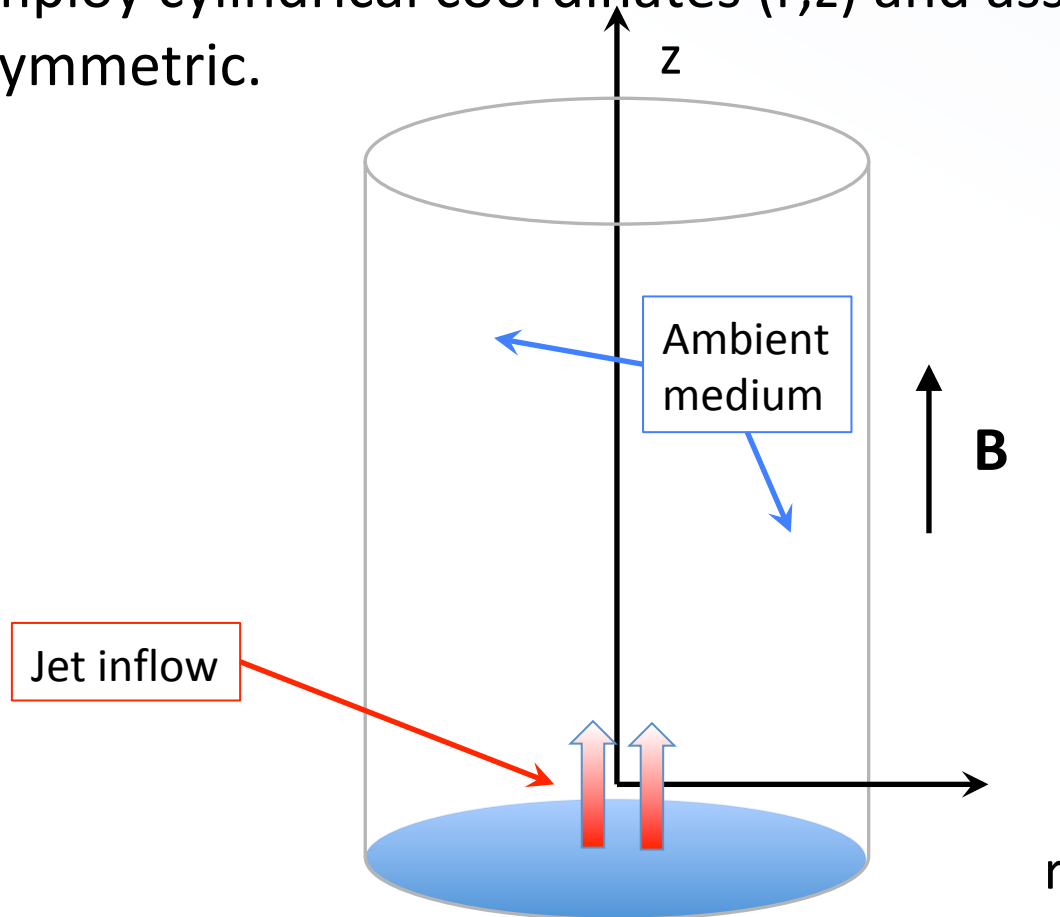


$\text{Vel} \sim 10^{-2} - 1 \text{ c}$; $n \sim 10^{-5} - 10^{-3} \text{ cm}^{-3}$; Size \sim few kpc–Mpc; Age $\sim 10^7 - 10^8$ yrs;

Non-thermal emission processes

Setting up the Problem: Initial Conditions

- Test problem can be found in [Test_Problems/MHD/Jet_Simplified/](#)
- We employ cylindrical coordinates (r, z) and assume the problem is axisymmetric.



Setting up the Problem: Initial Conditions

- The Init() function is now used to setup the ambient conditions only.

```
/* *****  
void Init (double *v, double x1, double x2, double x3)  
/*  
 * Define ambient values and units.  
*****  
{  
    int    nv;  
    double nH = 200.0;  
    static double veq[NVAR];  
  
    v[RHO] = 1.0;  
    v[VX1] = v[VX2] = v[VX3] = 0.0;  
    v[PRS] = pa = 0.6;  
  
    #if PHYSICS == MHD  
        EXPAND(v[BX1] = 0.0;  
               v[BX2] = sqrt(2.0*g_inputParam[SIGMA_Z]*pa);  
               v[BX3] = 0.0;)  
  
        v[AX1] = v[AX2] = 0.0;  
        v[AX3] = 0.5*x1*v[BX2];  
    #endif  
  
    v[TRC] = 0.0;  
  
    g_smallPressure = 1.e-3;  
}
```


Setting up the Problem: Boundary Conditions

- Boundary conditions at the lower z-boundary (X2_BEG) are used to inject the supersonic beam;
- A supersonic beam is injected in a small nozzle at the lower (z=0) boundary using a user-defined boundary condition.

```
/* ***** */
void UserDefBoundary (const Data *d, RBox *box, int side, Grid *grid)
/* !
*
***** */
{
    int i, j, k, nv;
    double *x1 = grid->xgc[IDIR];
    double *x2 = grid->xgc[JDIR];
    double *x3 = grid->xgc[KDIR];
    double r, vjet[256], vout[NVAR], q;
    double t, omega; /* pulsed jet frequency */

    if (side == X2_BEG){ /* -- X2_BEG boundary -- */
        if (box->vpos == CENTER){ /* -- cell-centered boundary conditions -- */
            BOX_LOOP(box,k,j,i){
                GetJetValues (x1[i], vjet);

                /* -- copy and reflect ambient medium values -- */

                VAR_LOOP(nv) vout[nv] = d->Vc[nv][k][2*JBEG - j - 1][i];
                vout[VX2] *= -1.0;
                #if PHYSICS == MHD
                EXPAND(vout[BX1] *= -1.0; ,
                    ;
                    vout[BX3] *= -1.0;);
                #endif
                VAR_LOOP(nv){
                    d->Vc[nv][k][j][i] = vout[nv]-(vout[nv]-vjet[nv])*Profile(x1[i], nv);
                }
            }
        }

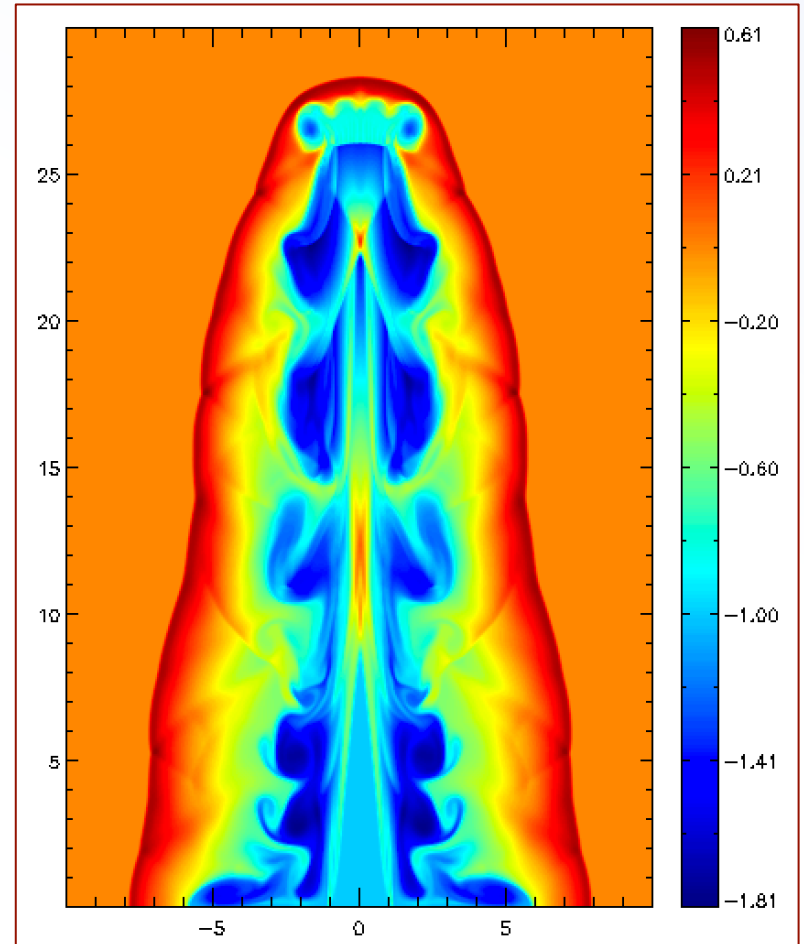
        }else if (box->vpos == X1FACE){ /* -- staggered fields -- */
            #ifdef STAGGERED_MHD
            x1 = grid->xr[IDIR];
            BOX_LOOP(box,k,j,i){
                vout[BX1] = -d->Vs[BX1s][k][2*JBEG - j - 1][i];
                d->Vs[BX1s][k][j][i] = vout[BX1]
                    - (vout[BX1] - vjet[BX1])*Profile(fabs(x1[i]), BX1);
            }
            #endif
        }else if (box->vpos == X3FACE){

        }

    }
}
```


Running the Test Problem...

- Have a look at pluto.ini;
- Compile
- Run
- Visualize data.



THE END
